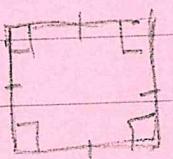
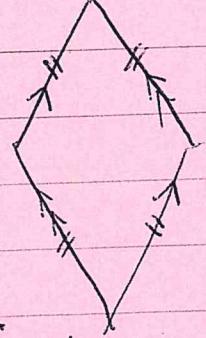


In G.T. define rhombus

A rhombus is an



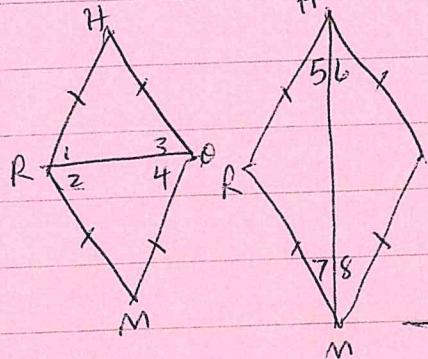
A square is an  
parallelogram

In-class section: Copy sketch, given, show. FITB's

Given: rhombus RHOM with

$\overline{RH} \cong \overline{HO} \cong \overline{OM} \cong \overline{MR}$  and one diagonal

Show:  $\angle 1 \cong \angle 2, \angle 3 \cong \angle 4, \angle 5 \cong \angle 6, \angle 7 \cong \angle 8$



What	Why
------	-----

(1)

Given

(2)  $\overline{RO} \cong \overline{RO}, \overline{HM} \cong \overline{HM}$

(2)?

SSS Post.

(3)

, ,

Def of congruent polygons.

(4)

, ,

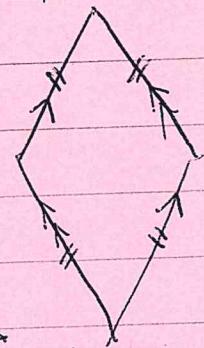
,

$\therefore$  The diagonals of a rhombus bisect the angles of a rhombus. C-51

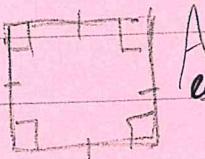
HW#17 p290-2: 1-14, 25

write up C-50-53 if you have  
p288-290 not

In G.T. define rhombus

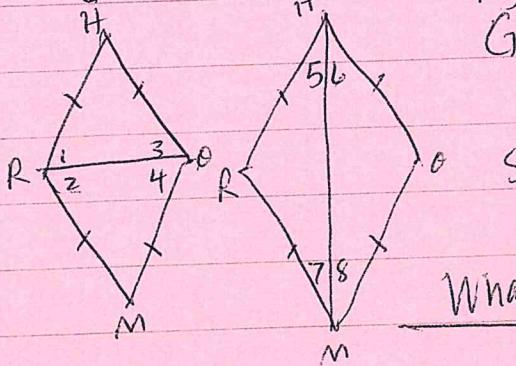


A rhombus is an equilateral parallelogram.



A square is an equilateral, equiangular parallelogram

In-class section: Copy sketch, given, show. FITB's



Given: rhombus RHM with  $\overline{RH} \cong \overline{HO} \cong \overline{OM} \cong \overline{MR}$  and one diagonal

Show:  $\angle 1 \cong \angle 2, \angle 3 \cong \angle 4, \angle 5 \cong \angle 6, \angle 7 \cong \angle 8$

What	Why
------	-----

①  $\overline{RH} \cong \overline{HO} \cong \overline{OM} \cong \overline{MR}$

②  $\overline{RO} \cong \overline{RO}, \overline{HM} \cong \overline{HM}$

③  $\triangle HRO \cong \triangle MRO, \triangle HMO \cong \triangle MRO$

④  $\angle 1 \cong \angle 2, \angle 3 \cong \angle 4$   
 $\angle 5 \cong \angle 6, \angle 7 \cong \angle 8$

⑤  $\overline{RO}$  &  $\overline{HM}$  are angle bisectors

$\therefore$  The diagonals of a rhombus bisect the angles of a rhombus. C-51

Given

②?

SSS Post.

Def of congruent polygons.

Def of L bisector

HW#17 p 290-2: 1-14, 25

write up C-50-53 if you have  
p 288-290 not