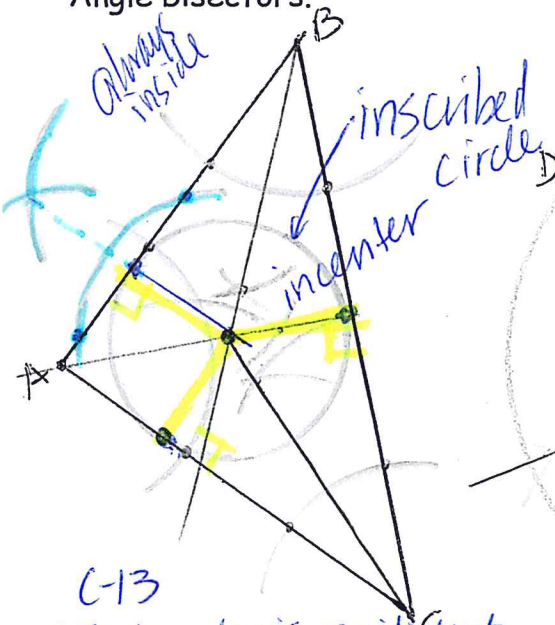
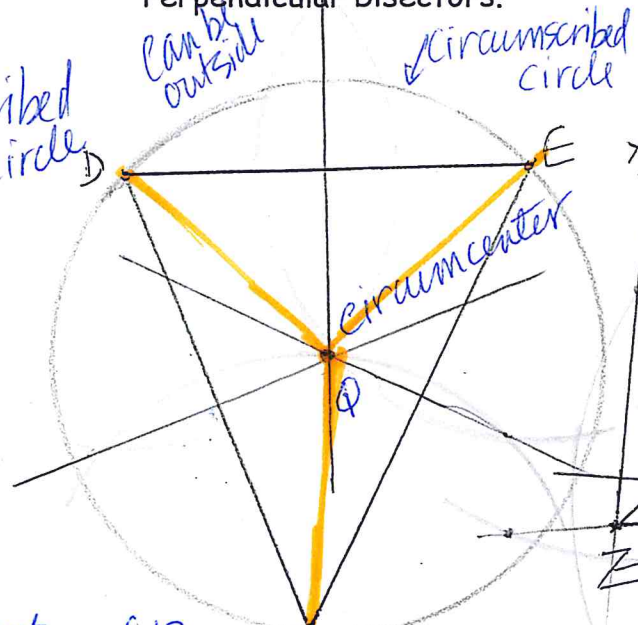


Notes 3.7 - Points of Concurrency

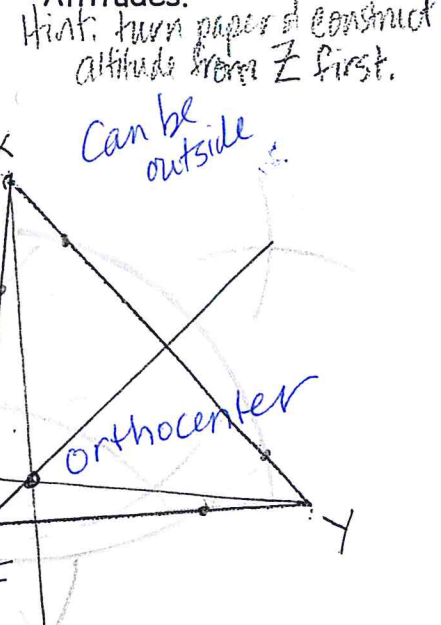
In $\triangle ABC$, construct all 3 Angle bisectors.



In $\triangle DEF$, construct all 3 Perpendicular bisectors.



In $\triangle XYZ$, construct all 3 Altitudes.



C-13
 \therefore The incenter is equidistant from the sides of the \triangle .

C-12
 \therefore The circumcenter is equidistant from the vertices of the \triangle .

Read the definition of "concurrent lines" on p 176. What do you notice about each construction above?

p 176 old p 184 new the 3 segments are concurrent

On $\triangle DEF$ above, label intersection Q. Put compass point on Q, lead on one vertex, and make a complete circle. What do you notice about the vertices of the triangle? *they lie on the circle*

This is called a "circumscribed circle". Copy definition and sketch from p 176. 67 new book p 179 old

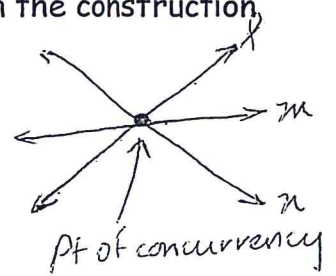
The prefix "circum" means "about" or "around". The center of your circle in the construction, on $\triangle DEF$ is called the "circumcenter". Label it on your construction.

On $\triangle ABC$, the point of intersection is called the "incenter". Label it.

On $\triangle XYZ$, the point of intersection is called the "orthocenter". Label it.

Also define:

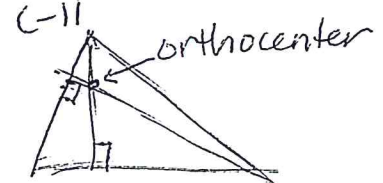
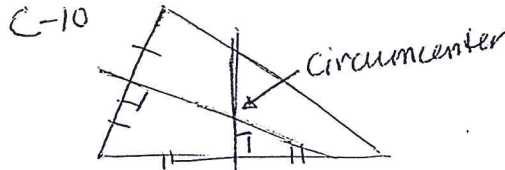
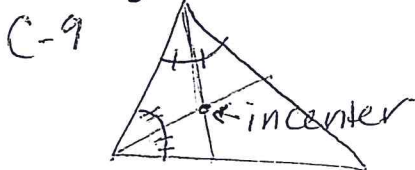
"c" concurrent lines - three or more lines that intersect at a point (p 176) p 184 new



Write up conjectures 9-11 on pp 176-178. p 184-6 new

Go to your textbook and copy conjecture number, page number, conjecture title, and text.

C-9 through C-11 - the fill-in-the-blank is "are concurrent". Sketches below.



HW #16 - p 162: 1 or 2, 3, pp 180: 1, 4, 7, 12, 20-24, p 169: 1-3

(Total constructions on HW: eight) seven

p 167: 11, 13, 17, p 171: 3, p 175-6: 1-3
 7, 8 11, 6