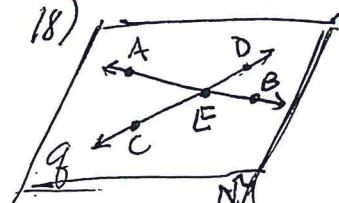
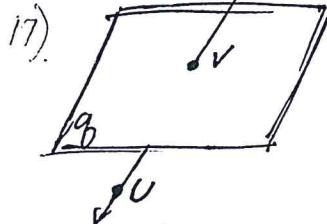
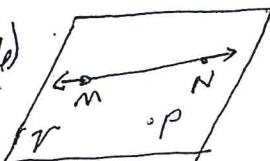


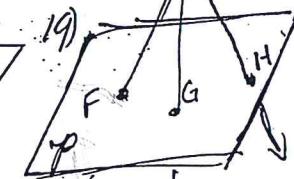
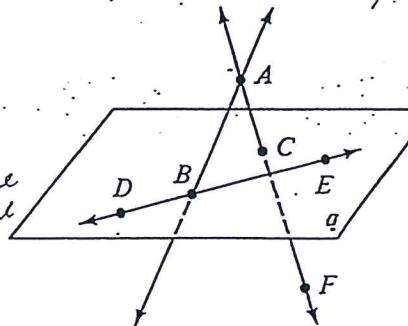
Geometry Worksheet 16
Chapter 1 Review



Part A

True or false?

7. \overrightarrow{DE} is contained in plane q . **true**
8. \overleftrightarrow{AC} and \overleftrightarrow{FA} are the same line. **true**
9. \overleftrightarrow{AB} and \overleftrightarrow{DE} intersect in point C . **false**
10. B, C , and E are noncoplanar. **false**
11. Point B is the intersection of \overleftrightarrow{AB} and plane q . **true**
12. The intersection of \overleftrightarrow{AF} and plane q is point C . **true**
13. \overleftrightarrow{CF} passes through point E . **false**
14. Point A and plane q do not intersect. **true**
15. \overleftrightarrow{DE} contains point B . **true**



Draw and label each figure described below. Use a straightedge.

16. \overleftrightarrow{MN} lying in plane r and point P in plane r but not on \overleftrightarrow{MN}

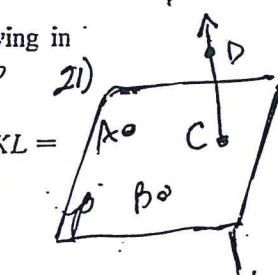
17. \overleftrightarrow{TU} intersecting plane q in point V

18. \overleftrightarrow{AB} and \overleftrightarrow{CD} lying in plane q such that \overleftrightarrow{AB} and \overleftrightarrow{CD} intersect at point E

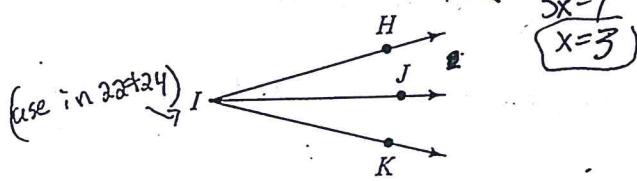
19. \overleftrightarrow{EF} , \overleftrightarrow{EG} , and \overleftrightarrow{EH} intersecting plane p in points F , G , and H , respectively

20. \overleftrightarrow{MN} not intersecting plane r with \overleftrightarrow{MQ} intersecting plane r in point Q

21. noncollinear points A , B , and C lying in plane p with \overleftrightarrow{DC} intersecting plane p



22. Given: \overleftrightarrow{IJ} bisects $\angle HIK$, $m \angle HIK = 48^\circ$
and $m \angle JIK = 3x + 15$.
Find x .



23. Given: \overleftrightarrow{KL} bisects $\angle MKN$, $m \angle MKL = 5x + 3$, and $m \angle LKN = 6x - 4$. Find $m \angle MKL$. [1.4]

$$\begin{aligned} 5x + 3 &= 6x - 4 \\ 3 &= x - 4 \\ 7 &= x \\ \angle MKL &= 5(7) + 3 \\ &= 38^\circ \end{aligned}$$

24. $m \angle HIK = 5x - 18$

$$3x - 12 + 22 = 5x - 18$$

$$m \angle HIK = 3x - 12$$

$$3x + 10 = 5x - 18$$

$$m \angle JIK = 22$$

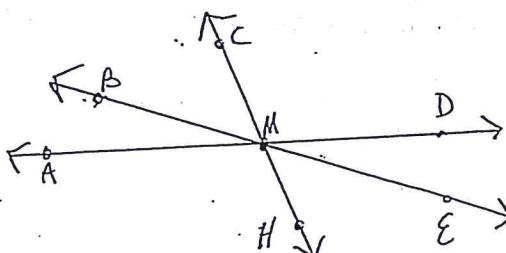
$$10 = 2x - 18$$

$$\text{Find } m \angle HIK$$

$$28 = 2x$$

$$x = 14$$

$$5(14) - 18 = 52^\circ$$



- a) Name two pairs of linear angles $\angle BMA$ & $\angle DME$

- b) vertical angles $\angle CMD$ & $\angle AMH$ + others

- c) linear pairs $\angle BMC$ & $\angle CME$

- $\angle AMH$ & $\angle HMD$

+ others

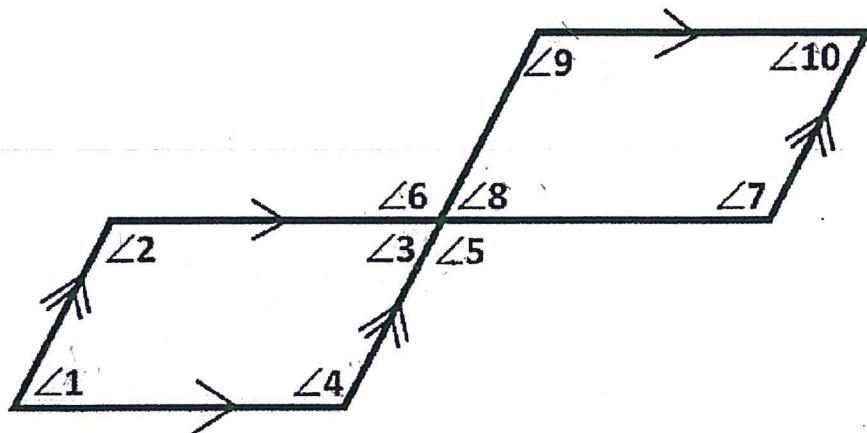
- 26 Find the coordinate of the midpoint of \overline{GM} .

The coordinate of G is -13

and the coordinate of M is 18 .

- d) adjacent angles that are not linear pairs.

$\angle HME$ & $\angle EMD$
 $\angle AMH$ & $\angle HME$ + others



Please write
in your
"In Class"
Section of
your notebook.

Using linear pair, vertical angles, corresponding angles, consecutive angles, alternate interior angles, and alternate exterior angles:

Some answers.
There are many more.

- 1) Explain why it is not possible to jump from $\angle 1$ to $\angle 3$
how to get from $\angle 1$ to $\angle 3$ in two "jumps."
- $$\begin{aligned} \angle 1 + \angle 2 &= 180^\circ \text{ (CIA)} \\ \angle 2 + \angle 3 &= 180^\circ \text{ (CIA)} \end{aligned}$$
- So $\angle 1 \cong \angle 3$ by substitution.

- 2) Find a path from $\angle 1$ to $\angle 10$ that uses at least 5 jumps

(ie: $\angle 1$ to $\angle 4$ by consecutive angles; $\angle 4$ to $\angle 5$ by alternate interior angles; ...)

$\angle 1$ to $\angle 4$ by CIA, so supplementary
 $\angle 4$ to $\angle 5$ by AIA, $\angle 5$ to $\angle 6$ by VA, $\angle 6$ to $\angle 9$ by AIA,
 $\angle 9$ to $\angle 10$ CIA (supplementary)

- 3) Find a path from $\angle 1$ to $\angle 10$ that uses vertical angles twice

$\angle 1$ to $\angle 2$ supplementary CIA
 $\angle 2$ to $\angle 3$ supplem CIA so $\angle 1 \cong \angle 3$
 $\angle 3 \cong \angle 8$ VA, $\angle 5 + \angle 8 = 180^\circ$ CP, $\angle 5 \cong \angle 9$ CA $\angle 9 + \angle 10 = 180^\circ$ CIA
 So back to $\angle 1$

- 4) Find a path from $\angle 1$ to $\angle 10$ that uses every angle

- 5) Find the shortest path from $\angle 1$ to $\angle 10$

$\angle 1$ to $\angle 4$ to CIA,
 $\angle 4$ to $\angle 6$ by CA,
 $\angle 6 + \angle 9$ by AIA
 $\angle 9$ to $\angle 10$ by CIA

So $\angle 1 \cong \angle 10$